

# Reasoning and Problem Solving

## Step 1: Numbers to Ten Million

### National Curriculum Objectives:

Mathematics Year 6: (6N2) [Read, write, order and compare numbers up to 10,000,000](#)

Mathematics Year 6: (6N3) [Determine the value of each digit in numbers up to 10,000,000](#)

### Differentiation:

Questions 1, 4 and 7 (Problem Solving)

**Developing** Match pairs of numbers to reach a number up to seven-digits. A selection of six numbers will be given. Includes multiples of 10, 100 and 1,000.

**Expected** Match pairs of numbers to reach a number up to seven-digits. More numbers to choose from.

**Greater Depth** Match pairs of numbers to reach a number up to seven-digits. More numbers to choose from. Includes unconventional partitioning.

Questions 2, 5 and 8 (Reasoning)

**Developing** Use understanding of place value and exchanging to prove whether a statement is true or false. Use of a seven-digit number. Includes multiples of 10, 100 and 1,000.

**Expected** Use understanding of place value and exchanging to prove whether a statement is true or false. Use of a seven-digit number.

**Greater Depth** Use understanding of place value and exchanging to prove whether a statement is true or false. Use of a seven-digit number. Includes unconventional partitioning.

Questions 3, 6 and 9 (Problem Solving)

**Developing** Create different pairs of numbers and calculate the difference between them. Use of seven-digit numbers. Includes multiples of 10, 100 and 1,000.

**Expected** Create different pairs of numbers and calculate the difference between them. Use of seven-digit numbers.

**Greater Depth** Create different pairs of numbers and calculate the difference between them. Use of seven-digit numbers and additional parameters. For example, numbers must be a multiple of a given number.

More [Year 6 Place Value](#) resources.

Did you like this resource? Don't forget to [review](#) it on our website.

## Numbers to Ten Million

1a. Match the pairs of numbers in the grid below to create the target number.

1,143,642

1,140,000	40,042	1,100,642
43,000	3,642	1,103,600



PS

## Numbers to Ten Million

1b. Match the pairs of numbers in the grid below to create the target number.

1,485,617

1,400,600	1,480,007	5,610
85,017	80,600	1,405,017



PS

2a. Zara says,



If I add 4,000 to any six-digit number, it will only be the thousands column that I will need to change.

Is she correct?

Explain how you know, using examples to help you.



R

2b. Adam says,



If I add 30 to any six-digit number, I will have to change the tens column and the hundreds column.

Is he correct?

Explain how you know, using examples to help you.



R

3a. Using the digit cards below, create three pairs of 7-digit numbers.



Your numbers must have a difference between one million and five million. Each digit card can only be used once per number.



PS

3b. Using the digit cards below, create three pairs of 7-digit numbers.



Your numbers must have a difference between one million and four million. Each digit card can only be used once per number.



PS

## Numbers to Ten Million

## Numbers to Ten Million

4a. Match the pairs of numbers in the grid below to create the target number.

**3,465,326**

200,320	1,405,326	3,005,306	3,265,006
460,020	3,460,026	2,060,000	5,300



PS

4b. Match the pairs of numbers in the grid below to create the target number.

**7,424,645**

7,024,605	110,040	6,400,605	1,024,040
7,314,605	6,304,640	400,040	1,120,005



PS

5a. Dennis says,



If I add fifty thousand to any six-digit number, I will only need to change a maximum of three place value columns.

Is he correct?

Explain how you know, using examples to help you.



R

5b. Simon says,



If I add ninety-six thousand and two to any six-digit number, I will have to change the thousands column and the ten-thousands column.

Is he correct?

Explain how you know, using examples to help you.



R

6a. Using the digit cards below, create three pairs of 7-digit numbers.



Your numbers must have a difference between one million and three million. Each digit card can only be used once per number.



PS

6b. Using the digit cards below, create three pairs of 7-digit numbers.



Your numbers must have a difference between one million and two million. Each digit card can only be used once per number.



PS

## Numbers to Ten Million

7a. Match the pairs of numbers in the grid below to create the target number.

Eight million, one hundred and eighty-seven thousand, seven hundred and eighty-one.

5,076,721	5,005,720	5,133,310	3,054,471
5,116,281	3,071,500	3,111,060	3,182,061



PS

## Numbers to Ten Million

7b. Match the pairs of numbers in the grid below to create the target number.

Six million, eight hundred thousands, six hundreds, and seventy-eight ones.

2,700,514	4,100,164	2,000,074	4,200,064
4,800,604	2,800,503	2,600,614	4,000,175



PS

8a. Bridget says,



If I add forty-five thousand, six hundred and twenty-two to any six-digit number, I will always have to change digits in three place value columns.

Is she correct?

Explain how you know, using examples to help you.



R

8b. Mason says,



If I add nine hundred and ninety hundreds and six to any six-digit number, I will have to change no more than four place value columns.

Is he correct?

Explain how you know, using examples to help you.



R

9a. Using the digit cards below, create three pairs of 7-digit numbers.



Your numbers must have a difference between one million and two and half million. Each digit card can only be used once per number. The digit in the ones column must be a multiple of 3.



PS

9b. Using the digit cards below, create three pairs of 7-digit numbers.



Your numbers must have a difference between one and a half million and two and half million. Each digit card can only be used once per number. The digit in the ones column must be a multiple of 2.



PS

## Reasoning and Problem Solving Numbers to Ten Million

### Developing

1a.  $1,140,000 + 3,642 = 1,143,642$

$40,042 + 1,103,600 = 1,143,642$

$1,100,642 + 43,000 = 1,143,642$

2a. Zara is incorrect because if you cross the ten thousand boundary, the thousands, ten thousands and hundred thousands columns will need to change. For example,  $199,999 + 4,000 = 203,999$ .

3a. Various answers, for example:

$7,291,506 - 4,291,506 = 3,000,000$

$7,291,506 - 3,291,506 = 4,000,000$

$8,291,506 - 4,291,506 = 4,000,000$

### Expected

4a.  $200,320 + 3,265,006 = 3,465,326$

$1,405,326 + 2,060,000 = 3,465,326$

$3,005,306 + 460,020 = 3,465,326$

$3,460,026 + 5,300 = 3,465,326$

5a. Dennis is correct because the only columns you would need to change are the ten thousands, hundred thousands and million columns. For example,  $999,999 + 50,000 = 1,049,999$ .

6a. Various answers, for example:

$4,201,596 - 1,209,546 = 2,992,050$

$9,208,536 - 7,201,596 = 2,006,940$

$4,209,576 - 3,201,546 = 1,008,030$

### Greater Depth

7a.  $5,076,721 + 3,111,060 = 8,187,781$

$5,005,720 + 3,182,061 = 8,187,781$

$5,133,310 + 3,054,471 = 8,187,781$

$5,116,281 + 3,071,500 = 8,187,781$

8a. Bridget is incorrect because she could cross multiple place value boundaries depending on the number. For example,  $45,622 + 987,654 = 1,033,276$ .

9a. Various answers, for example:

$9,801,436 - 8,601,423 = 1,200,013$

$9,201,463 - 7,301,489 = 1,899,974$

$8,701,456 - 7,301,429 = 1,400,027$

## Reasoning and Problem Solving Numbers to Ten Million

### Developing

1b.  $1,400,600 + 85,017 = 1,485,617$

$1,480,007 + 5,610 = 1,485,617$

$80,600 + 1,405,017 = 1,485,617$

2b. Adam is incorrect because if the number does not pass the hundreds boundary, only the tens digit will need to change. For example,  $199,900 + 30 = 199,930$ .

3b. Various answers, for example:

$6,854,291 - 4,754,291 = 2,100,000$

$4,854,291 - 3,654,291 = 1,200,000$

$6,754,291 - 3,654,291 = 3,100,000$

### Expected

4b.  $7,024,605 + 400,040 = 7,424,645$

$110,040 + 7,314,605 = 7,424,645$

$6,400,605 + 1,024,040 = 7,424,645$

$6,304,640 + 1,120,005 = 7,424,645$

5b. Simon is incorrect because as soon as you cross the ten boundary, multiple columns will need to change. For example,  $999,999 + 96,002 = 1,096,001$ .

6b. Various answers, for example:

$3,904,185 - 2,304,185 = 1,600,000$

$9,604,135 - 8,204,195 = 1,399,940$

$8,304,195 - 7,204,195 = 1,100,000$

### Greater Depth

7b.  $2,700,514 + 4,100,164 = 6,800,678$

$2,000,074 + 4,800,604 = 6,800,678$

$4,200,064 + 2,600,614 = 6,800,678$

$2,800,503 + 4,000,175 = 6,800,678$

8b. Mason is incorrect because he could cross multiple place value boundaries depending on the number. For example,  $99,006 + 987,654 = 1,086,660$ .

9b. Various answers, for example:

$9,857,046 - 7,651,048 = 2,205,998$

$8,953,046 - 7,158,046 = 1,795,000$

$5,759,048 - 3,651,048 = 2,108,000$